

# I. Abstract

This study identifies differences between the returns to skill for 50 PGA and 50 LPGA Tour golfers using a cross-sectional model. Our measure of returns to skill is a normalized earnings figure given by the total earnings for a golfer during the year divided by the sum of their earning potential. We estimate the returns to skill as a function of driving accuracy, driving distance, putting average, greens in regulation, number of events played, majors played, slope rating, and a dummy variable for gender. We find that the same skills are important for both PGA and LPGA golfers but to varying degrees. We conclude that putting and greens in regulation are the most important variables explaining winning percentage, but these skills are both relatively less important for LPGA players than for PGA players. We also find that driving accuracy is important in explaining winning percentage, and that the importance of this variable is the same for PGA and LPGA players. Our results can be used by golfers to focus their practice time on the skills that may affect their return.

# IV. Data

Cross-sectional data set of 50 PGA and 50 LPGA Tour Players Sample size: 100

Data Challenges and Limitations:

- Slope rating data set:
  - USGA reports on course and slope ratings
  - o Some courses were not reported on
  - Slope ratings may not have been the accurate rating for the specific tournament or tee box
- Sample selection: some players did not have complete statistics listed

Data Sources:

- Most data came from the PGA Tour website and LPGA website
- Most slope ratings were found on the USGA Course Rating and Slope Database
- LPGA first place prize came from the YAHOO! Sports LPGA Leaderboard
- Other slope ratings came from: • Golf Digest
  - World Golf
  - Golf Australia



## **Empirical Model and Variables** П.

 $WIN_i = f(DIST_i, ACC_i, GIR1_i, PUTT1_i, EVENTS_i, MAJORS_i, SAND1_i, SLOPE_i, G_i,$ DIST\*G<sub>i</sub>, ACC\*G<sub>i</sub>, EVENTS\*G<sub>i</sub>, GIR\*G<sub>i</sub>, MAJORS\*G<sub>i</sub>, PUTT1\*G<sub>i</sub>, SAND1\*G<sub>i</sub>, SLOPE\* $G_i$ )

$WIN_i$ = Winning percentage for the ith player in 2012	EV in
$DIST_i = Average driving distance for the ith player for 2012$	M pl
$ACC_i = Driving$ accuracy for the ith player in 2012	SA pla
PUTT1 <sub>i</sub> = Putting average for the ith player in 2012	SI th
$GIR1_i$ = Percent of greens hit in regulation for the ith player in 2012	Gi

\*i denotes player where i = 1-100

Dependent Variable: WIN	
Method: Least Squares	
Sample: 1 100	

Sample: 1 100 Included observations: 100 HAC standard errors & covariance (Bartlett kernel, Newey-West fixed bandwidth = 5.0000)

V.

Variable	Coefficient	Std. Error	t-Statistic	Prob.
С	-0.100202	0.263717	-0.379960	0.7050
ACC	0.278928	0.123908	2.251095	0.0271
DIST	0.000418	0.000547	0.764782	0.4466
EVENTS	-0.001170	0.001101	-1.063381	0.2907
G	-0.206867	0.363239	-0.569506	0.5706
GIR1	0.982439	0.229713	4.276801	0.0001
MAJORS	0.009421	0.001499	6.283345	0.0000
PUTT1	-1.048760	0.126321	-8.302345	0.0000
SAND1	0.076933	0.059174	1.300112	0.1972
SLOPE	-0.001049	0.001421	-0.737766	0.4628
G*ACC	-0.030077	0.155893	-0.192932	0.8475
G*DIST	-0.000372	0.000802	-0.463500	0.6442
G*EVENTS	0.003005	0.003343	0.898702	0.3714
G*GIR1	-0.515160	0.290587	-1.772827	0.0800
G*MAJORS	-0.009835	0.011125	-0.884086	0.3792
G*PUTT1	0.595596	0.209310	2.845520	0.0056
G*SAND1	-0.078392	0.096998	-0.808177	0.4213
G*SLOPE	0.002223	0.001868	1.190195	0.2374
R-squared Adjusted R-squared	0.559166	Mean dependent var S.D. dependent var		0.058680

# The Relative Returns to Skill of PGA and LPGA Players **Alexandria Smith and Michon Hunsaker**

 $VENTS_i = Number of events played$ during the 2012 season

 $(AJORS_i) = Number of majors$ layed in during the 2012 season

 $AND1_i = Sand saves of the ith$ layer in 2012

 $LOPE_i$  = Average slope rating for ne ith player for 2012

= Dummy variable for gender

# **Empirical Results**

# **III.** Theory and Hypotheses

DIST; is hypothesized to have a positive relationshir with WIN<sub>i</sub> because when a player is able to hit the ball further off the tee, their next shot is closer to the hole, making it easier to score well

ACC<sub>i</sub> is hypothesized to have a positive relationship with WIN<sub>i</sub> because the more often a player hits the bal into the fairway versus the rough off the tee, the greater opportunity they have to hit a more precise shot onto the

 $PUTT1_i$  is hypothesized to have a negative relationship with WIN<sub>i</sub> because the lower amount of putts a player has during a round the lower their score will be, increasing their winning percentage

GIR1<sub>i</sub> is hypothesized to have a positive relationship with WIN<sub>i</sub> because by hitting the green a player has a greater opportunity to one putt, lowering their score and increasing winning percentage

EVENTS<sub>i</sub> could either have a positive or negative relationship with WIN<sub>i</sub> depending on the effect of playing in more tournaments

- percentage is explained by our model
- than PGA players
- players than PGA players
- and women
- that may increase their return

We specify player's winning percentage as a function of the following variables:

MAJORS<sub>i</sub> could either have a positive or negative relationship with WIN<sub>i</sub> depending on the effect of playing in more majors

SAND<sub>i</sub> is hypothesized to have a positive relationship with WIN<sub>i</sub> because if a player is better at getting out of the sand and saving their par, a player will have a lower score and increase winning percentage

SLOPE1<sub>i</sub> is hypothesized to have a negative relationship with WIN<sub>i</sub> because the higher the average slope rating for a given individual, the more challenging the courses they are playing on, making it more difficult to win, decreasing winning percentage

G<sub>i</sub> is our dummy variable for gender. We test for any differences in the returns to specific skills of PGA and LPGA Tour players by including a dummy variable. The dummy variable has a value of 1 if the player is on the LPGA Tour and 0 if the player is on the PGA Tour

# VI. Conclusions

• Our adjusted R-squared indicates 46.7% of the variation in winning

• Putting average is statistically significant in explaining winning percentage for both PGA and LPGA players, but to a lesser degree for LPGA players

• Greens in regulation is statistically significant in explaining winning percentage for both PGA and LPGA players, but to a lesser degree for LPGA

• Driving accuracy is statistically significant in explaining winning percentage for both PGA and LPGA players and has the same effect on men and women

• Majors participated in is statistically significant in explaining winning percentage for both PGA and LPGA players and has the same effect on men

• Our results can be used by golfers to focus their practice time on the skills